```
\mathbf{x} = 2\mathbf{r}\mathbf{Cos}(\theta) - \mathbf{r}\mathbf{Cos}(2\theta)
Y = 2rSin(\theta) - rSin(2\theta)
Or it can be expressed as
(x^2+y^2+2rx)^2 = 4r^2(x^2+y^2)
Using polar where x = pCos(\theta) \ y = pSin(\theta)
The point (x, y) is p distance from the origin at an angle \theta
Try
P = 2r(1-\cos(\theta))
And the general type of p^m = a^m \cos(m\theta) with
m = 1: p = aCos(\theta)
m = -1: p = a/Cos(\theta)
m = 2: p = a^2 Cos(2\theta)
m = -2: p = a/Cos(2\theta)
m = 0.5: p = a\cos^2(\theta/2)
m = -0.5: p = 2a/(1+Cos(\theta))
```